

## Jordan Zero Product Preserving Additive Maps On Nest Algebras

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### Jordan Zero Product Preserving Additive

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### Jordan Zero Product Preserving Additive Maps On Nest Algebras

Let  $\Phi : B(H) \rightarrow B(K)$  be a Jordan zero-product preserving additive surjection. Then there exists a nonzero scalar  $c$  and an invertible bounded linear or conjugate-linear operator  $U : H \rightarrow K$  such that either  $\Phi(A) = cUAU^{-1}$  for all  $A \in B(H)$  or  $\Phi(A) = cUA^*U^{-1}$  for all  $A \in B(H)$  (in the real case,  $U$  is linear).

### Jordan zero-product preserving additive maps on operator ...

The problem of characterizing Jordan zero-product preserving additive or linear maps between rings and operator algebras had been studied intensively (e.g., see [1][2][3][4][5] and the references...

### Jordan zero-product preserving additive maps on operator ...

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### Jordan Zero Product Preserving Additive Maps On Nest Algebras

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### Additive maps preserving Jordan zero-products on nest ...

Download Jordan Zero Product Preserving Additive Maps On Nest Algebras Let  $R$  be a ring,  $A = M_n(R)$  and  $\theta : A \rightarrow A$  a surjective additive map preserving zero Jordan products, i.e. if  $x, y \in A$  are such that  $xy = yx = 0$ , then  $\theta(x)\theta(y) + \theta(y)\theta(x) = 0$ . In this paper, we show that if  $R$  contains  $n$  Maps Preserving Zero Jordan Products | SpringerLink

### Jordan Zero Product Preserving Additive Maps On Nest Algebras

It is shown that  $\Phi$  preserves Jordan zero-products in both directions, that is  $\Phi(A)\Phi(B) + \Phi(B)\Phi(A) = 0 = AB + BA = 0$ , if and only if  $\Phi$  is either a ring isomorphism or a ring anti-isomorphism. Particularly, all unital additive surjective maps between Hilbert space nest algebras which preserves Jordan zero-products are characterized completely

### Additive maps preserving Jordan zero-products on nest ...

ciative rings, we say that a map  $\Phi : A \rightarrow B$  preserves Jordan zero-products (in both directions) if, for  $A, B \in \mathcal{A}$ ,  $(A) \Phi(B) + \Phi(B) \Phi(A) = 0$  whenever (if and only if)  $AB + BA = 0$ . The question of characterizing additive maps preserving Jordan zero-products was recently discussed in [11].

### Additive maps preserving Jordan zero-products on nest algebras

Jordan zero-product preserving if  $F(A)F(B) + F(B)F(A) = 0$  whenever  $AB + BA = 0$  for  $A, B \in R$ . The problem of characterizing Jordan zero-product preserving additive or linear maps between rings, and operator algebras had been studied intensively (e.g., see [1-5] and the references therein.) Let  $k$  be any positive integer.

### Maps Preserving k-Jordan Products on Operator Algebras

Recall that  $\Phi$  is Jordan zero-product preserving if  $\Phi(A)\Phi(B) + \Phi(B)\Phi(A) = 0$  whenever  $AB + BA = 0$  for  $A, B \in R$ . The problem of characterizing Jordan zero-product preserving additive or linear maps between rings and operator algebras had been studied intensively (e.g., see [1,2,3,4,5] and the references therein.)

### Mathematics | Free Full-Text | Maps Preserving k-Jordan ...

Motivated by this, we study in this paper the additive maps on the symmetric operator space and the self-adjoint operator space which preserve zero-products in both directions. We say that  $\text{afi}9818$  is a Jordan zero-product preserving map if  $\text{afi}9818(T)\text{afi}9818(S) + \text{afi}9818(S)\text{afi}9818(T) = 0$  whenever  $TS + ST = 0$ .

### Zero-product preserving additive maps on symmetric ...

Additive maps preserving Jordan zero-products on nest algebras Jordan zero-product preserving if  $F(A)F(B) + F(B)F(A) = 0$  whenever  $AB + BA = 0$  for  $A, B \in R$ . The problem of characterizing Jordan zero-product preserving additive or linear maps between rings, and operator algebras had been studied intensively (e.g., see [1-5] and the references therein.)

### Jordan Zero Product Preserving Additive Maps On Nest Algebras

Additive maps preserving Jordan zero-products on nest algebras Jordan zero-product preserving if  $F(A)F(B) + F(B)F(A) = 0$  whenever  $AB + BA = 0$  for  $A, B \in R$ . The problem of characterizing Jordan zero-product preserving additive or linear maps between rings and operator algebras had been studied intensively (e.g., see [1-5] and the references therein.)

### Jordan Zero Product Preserving Additive Maps On Nest Algebras

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### Jordan Zero Product Preserving Additive Maps On Nest Algebras

Abstract. We study holomorphic maps between  $C$ -algebras and  $\mathcal{A}$ , when is a holomorphic mapping whose Taylor series at zero is uniformly converging in some open unit ball. If we assume that is orthogonality preserving and orthogonally additive on  $\mathcal{A}$  and contains an invertible element in  $\mathcal{A}$ , then there exist a sequence in  $\mathcal{A}$  and Jordan  $n$ -homomorphisms such that uniformly in  $\mathcal{A}$ .

### Orthogonally Additive and Orthogonality Preserving ...

J.-H. Zhang, Nonlinear maps preserving Lie products on factor von Neumann algebra, Linear Algebra Appl. 429 (2008) 18–30. Crossref, ISI, Google Scholar; 15. L. Zhao and J. Hou, Jordan zero-product preserving additive maps on operator algebras, J. Math. Anal. Appl. 314(2) (2006) 689–700. Crossref, ISI, Google Scholar

### Maps preserving strong 2-Jordan product on some algebras ...

prime  $C^*$ -algebra which preserving both Lie 1\*-product and Jordan 1\*-product for which one of operators is projection must be  $\ast$ -additive (i.e., additive and star-preserving). In a recent paper [9], L. Dai and F. Lu proved a bijective map  $\Phi$  on von Neumann algebras which preserving Jordan  $n$ -product is a linear  $\ast$ -

### ADDITIVITY OF MAPS PRESERVING JORDAN -PRODUCTS ON ...

$A$  a surjective additive map preserving zero Jordan products, i.e. if  $x, y \in A$  are such that  $xy = yx = 0$ , then  $\Phi(x)\Phi(y) + \Phi(y)\Phi(x) = 0$ . In this paper, we show that if  $R$  contains 1, 2 and  $n \geq 4$ , then  $\Phi$  is a central element of  $A$  and  $\Phi : A \rightarrow A$  is a Jordan homomorphism.

### CiteSeerX — On Maps Preserving Zero Jordan Products

[14]. Hou and L. Zhao, Zero-product preserving additive maps on symmetric operator spaces and self-adjoint operator spaces, Linear Algebra Appl. 339 (2005), 235-244. [15]. Hou and L. Zhao, Jordan zero-product preserving additive maps on operator algebras, J. Math. Anal. Appl. 314 (2006), 689-700.

### Zero products preserving maps from the fourier algebra of ...

Hou, J., Zhao, L.: Zero-product preserving additive maps on symmetric operator spaces and self-adjoint operator spaces. Linear Algebra Appl. 399 , 235-244 (2005) MathSciNet CrossRef Google Scholar 5.